

# Computing Trusted Authority Scores in Peer-to-Peer Web Search Networks

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# Introduction

## Motivation

- P2P systems for storing and sharing information.
- Decentralized nature opens doors to malicious behaviors from peers.

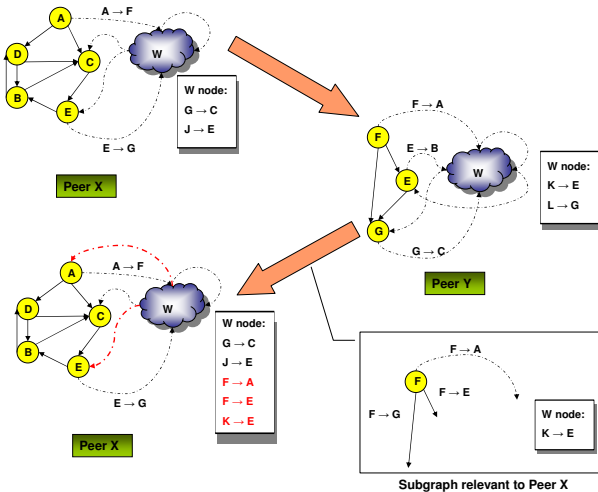
## Previous Work

- JXP algorithm for computing decentralized PageRank-style authority scores in a P2P network [VLDB'06].
- Assumes peers are always honest.

## Contribution

- Decentralized reputation system to be integrated into JXP.
- Allows computation of “trusted” authority scores.

# JXP Algorithm [VLDB'06]



# TrustJXP Algorithm

## Idea

- Detect when peers report false scores at the meeting phase.
- Analyze peer's deviation from common features that constitute usual peer profile.

## Forms of attack addressed

- Peers report higher scores for a subset of their local pages.
- Peers permute the scores of its local pages.



# Malicious Increase of Scores

## Why peers cheat

High authority scores for local pages can bring benefits to a peer.

## Our approach

- Analyse the distribution of the scores reported by a peer.
- Use histograms to store and compare score distributions.
- **Motivation:** Web graph is self-similar → local scores distribution should resemble global distribution after a few iterations.



# Histograms

## Histograms

- Each peer stores a histogram  $H$ .
- Scores from other peers are inserted after each meeting.
- A novelty factor accounts for the dynamics of the scores.

$$H^{(t+1)} = (1 - \rho)H^t + \rho D$$

$D$  is the score distribution of the other peer, and  $\rho$  is the novelty factor.



# Histograms

## Comparing Histograms

### Hellinger Distance

$$HD_{i,j} = \frac{1}{\sqrt{2}} \left[ \sum_k (\sqrt{H_i(k)} - \sqrt{D_j(k)})^2 \right]^{\frac{1}{2}}$$

$k$  = total number of buckets

$H_i(k)$  and  $D_j(k)$  = number of elements at bucket  $k$  at the two distributions



# Malicious Permutation of Scores

## Problem

- Peers can cheat and yet keep the original score distribution.
- Histogram comparison not effective in this case.

## Our approach

- Compare the rankings from both peers for the overlapping graph.
- **Observation:** Relative order of scores very close to the actual ordering, after few meetings.





# Comparing Rankings

## Tolerant Kendall's Tau Distance

$$K'_{i,j} = |(a, b) : a < b \wedge score_i(a) - score_i(b) \geq \Delta \\ \wedge \tau_i(a) < \tau_i(b) \wedge \tau_j(a) > \tau_j(b)|$$

$score_i(a)$ ,  $score_i(b)$  = scores of pages  $a$  and  $b$  at peer  $i$

$\tau_i$ ,  $\tau_j$  = rankings of pages at peers  $i$  and  $j$

$\Delta$  = tolerance threshold



# TrustJXP Algorithm

## Computing Trust Scores

- **Idea:** Combine previous measures to assign trust scores to peers.
- Each peer assigns its own trust score to another peer, at each meeting step.
- How to combine the measures? We take a “safer” approach.

$$\theta_{i,j} = \min(1 - HD_{i,j}, 1 - K'_{i,j})$$

- Trust score is integrated to the JXP computing, at the merging lists phase.



# Integrating Trust Scores and JXP Scores

## Integrating Trust Scores and JXP Scores

- When merging lists, scores from both lists can be combined by either averaging or taking the max score.
- If page is not present on a list  $\rightarrow$  score = 0.

## Averaging the scores

JXP:  $L'(i) = (L_A(i) + L_B(i))/2$

TrustJXP:  $L'(i) = (1 - \theta/2) * L_A(i) + \theta/2 * L_B(i)$

## Taking max score

JXP:  $L'(i) = \max(L_A(i), L_B(i))$

TrustJXP:  $L'(i) = \max(L_A(i), \theta * L_B(i))$

# Experimental Results

## Web collection

- Obtained using a focused crawler.
- 134,405 pages, 1,915,401 links.
- 10 categories.

## Setup

- 100 honest peers, 10 peers/category.
- Malicious peers
  - Perform JXP meetings and local PR computation like a normal peer.
  - Lie when asked by another peer about the local scores, according to attacks previously described.

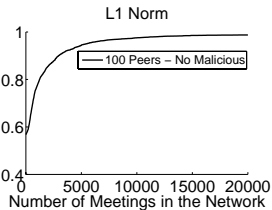
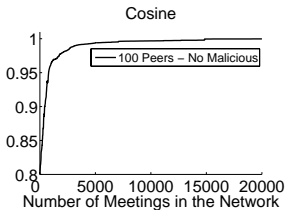
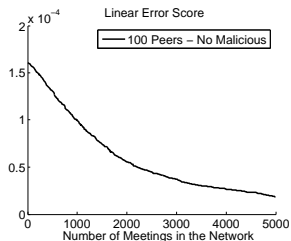
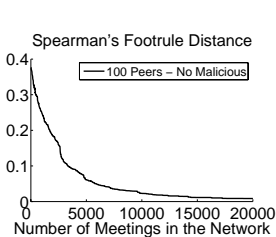
# Experimental Results

## Evaluation Measures

- “Global” JXP ranking vs. Global PageRank ranking.
- Spearman’s Footrule Distance at top-k.
- Linear error score at top-k.
- Cosine at full ranking.
- L1 norm of full JXP ranking (L1 norm of Global PR always 1).

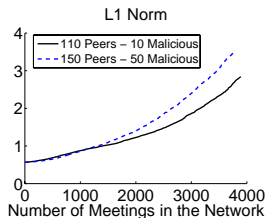
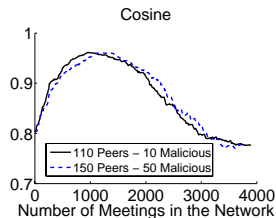
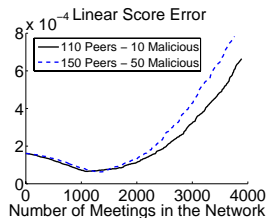
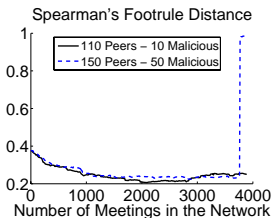


# JXP Performance - No Malicious Peers

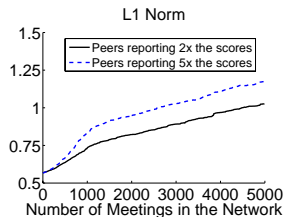
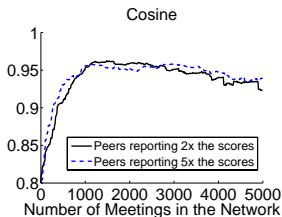
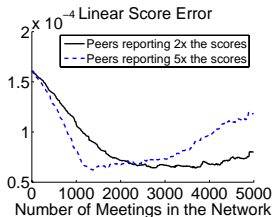
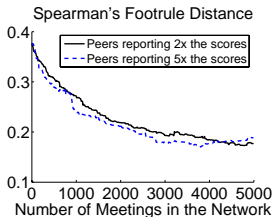


# Impact of Malicious Peers

(Peers report 2x the true score value for all local pages)

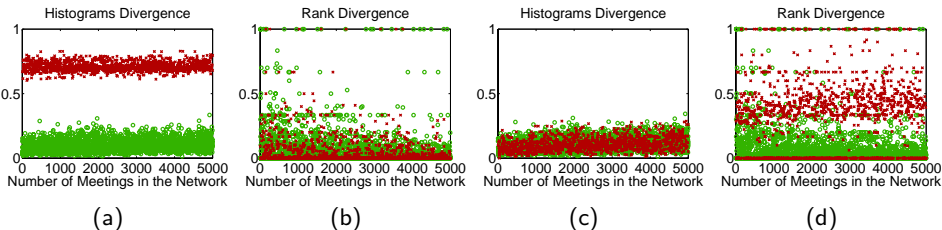


# Averaging the Scores





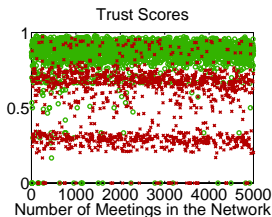
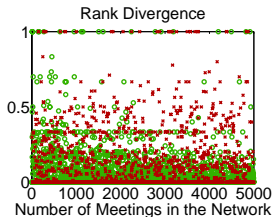
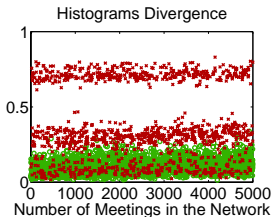
# Trust Model



**Figure:** Increased-scores attack: (a) and (b). Permuted-scores attack: (c) and (d). A green circle (o) represents a meeting between two honest peers, and a red cross (x) a meeting between an honest and a dishonest peers.



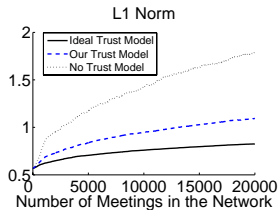
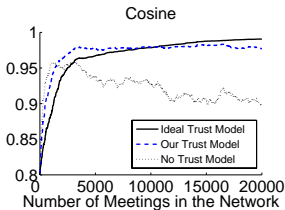
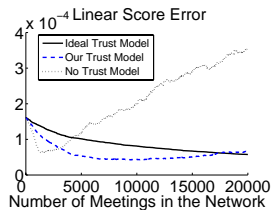
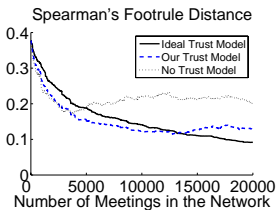
# Trust Scores (Random Attacks)



Max. $\theta$	Detection rate	False positives
0.9	37.4%	4.7%
0.8	86.9%	12.1%
0.6	98.0%	54.5%



# Trust JXP



\* 150 Peers - 50 Malicious; Mixed malicious behavior



## Conclusion

- TrustJXP algorithm for identifying and reducing the impact of cheating peers.
- Uses scores distribution and ranking analysis to detect malicious behavior.
- Experiments demonstrate viability of the method.

## Future Work

- Detect other types of malicious behaviors.
- Network dynamics.

